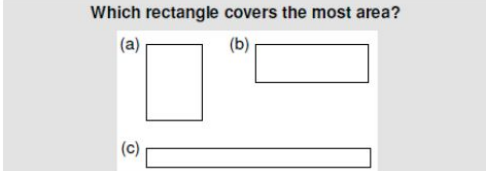
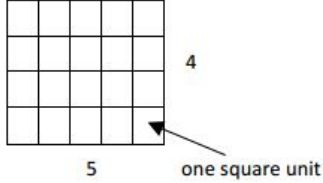


Grade 3 Unit 2 Family Resource

Unit Name: Developing a Conceptual Understanding of Place Value

| What's my child learning in Unit 2? | What does this mean? What does it look like? | How can I help my child at home? | | | | | | | | | | | | | | | |
|--|---|--|--|-----------|---------|-----|-----------|---------|----|-----------|---------|-----|-----------|---------|--|--|--|
| <ul style="list-style-type: none"> Students will recognize area as attribute of plane figures and understand concepts of area measurement. Students will understand that a square with a side length of 1 unit, called a "unit square" is said to have "one square unit" of area and recognize that a plane figure which can be covered without gaps or overlaps by n unit squares is said to have an area of n units. Students will measure area by counting unit squares (square cm, square m, square in, square ft, and improvised units). | <p style="text-align: center;">Which rectangle covers the most area?</p> <div style="text-align: center;">  </div> <p style="font-size: small; text-align: center;">These rectangles are formed from unit squares (tiles students have used) although students are not informed of this or the rectangle's dimensions: (a) 4 by 3, (b) 2 by 6, and (c) 1 row of 12. Activity from Lehrer, et al., 1998, "Developing understanding</p> <div style="text-align: center;">  </div> | <p>Using Arrays - Directions to a printable game where students build the array which matches the roll of the dice.</p> <p>Area Game - An online game to practice finding area using grids</p> | | | | | | | | | | | | | | | |
| <ul style="list-style-type: none"> Students will apply the commutative and associative properties as strategies to multiply, exploring the use of parenthesis within the Associative Property. | <ul style="list-style-type: none"> The associative property states that the sum or product stays the same when the grouping of addends or factors is changed. For example, when a student multiplies $7 \times 5 \times 2$, a student could rearrange the numbers to first multiply $5 \times 2 = 10$ and then multiply $10 \times 7 = 70$. The commutative property (order property) states that the order of numbers does not matter when adding or multiplying numbers. For example, if a student knows that $5 \times 4 = 20$, then they also know that $4 \times 5 = 20$. The array below could be described as a 5×4 array for 5 columns and 4 rows, or a 4×5 array for 4 rows and 5 columns. There is no "fixed" way to write the dimensions of an array as rows x columns or columns x rows. Students should have flexibility in being able to describe both dimensions of an array. <div style="text-align: center;"> <table style="border: none;"> <tr> <td>X X X X</td> <td></td> <td>X X X X X</td> </tr> <tr> <td>X X X X</td> <td>4x5</td> <td>X X X X X</td> </tr> <tr> <td>X X X X</td> <td>or</td> <td>X X X X X</td> </tr> <tr> <td>X X X X</td> <td>5x4</td> <td>X X X X X</td> </tr> <tr> <td>X X X X</td> <td></td> <td></td> </tr> </table> </div> | X X X X | | X X X X X | X X X X | 4x5 | X X X X X | X X X X | or | X X X X X | X X X X | 5x4 | X X X X X | X X X X | | | <p>Commutative Property of Multiplication - This video shows how to use the commutative property of multiplication</p> <p>Associative Property of Multiplication Video - This video shows how to use the associative property of multiplication.</p> |
| X X X X | | X X X X X | | | | | | | | | | | | | | | |
| X X X X | 4x5 | X X X X X | | | | | | | | | | | | | | | |
| X X X X | or | X X X X X | | | | | | | | | | | | | | | |
| X X X X | 5x4 | X X X X X | | | | | | | | | | | | | | | |
| X X X X | | | | | | | | | | | | | | | | | |
| <p>Students will use multiplication within 100 to solve word problems in product unknown situations involving equal groups, arrays and</p> | <p>Examples of multiplication: There are 24 desks in the classroom. If the teacher puts 6 desks in each row, how many rows are there? This task can be solved by drawing an</p> | <p>Cookie Capers - Online fact acquisition to practice repeated addition and math vocabulary</p> | | | | | | | | | | | | | | | |

measurement quantities (area) and write an equation to represent the problem with a symbol for the unknown whole number in the problem.

array by putting 6 desks in each row. This is an array model.

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This task can also be solved by drawing pictures of equal groups. 4 groups of 6 equals 24 objects



A number line could also be used to show equal jumps.

Students in third grade should use a variety of pictures, such as stars, boxes, flowers to represent unknown numbers (variables). Letters are also introduced to represent unknowns in third grade.

Word problems may be represented in multiple ways:

- Equations: $3 \times 4 = ?$, $4 \times 3 = ?$, $12 \div 4 = ?$ and $12 \div 3 = ?$



- Array:



- Equal Groups:
- Repeated addition: $4 + 4 + 4$ or repeated subtraction
- Three equal jumps forward from 0 on the number line to 12 or three equal jumps backwards from 12 to 0



such as “groups of” and “in each group”.

Students will understand that multiplying a whole number by a multiple of 10 is the same as multiplying n groups of y tens (For example, 4×30 is the same as 4 groups of 3 tens).

For the problem 50×4 , students should think of this as 4 groups of 5 tens or 20 tens. Twenty tens equal 200.

The special role of 10 in the base-ten system is important in understanding multiplication of one-digit numbers with multiples of 10. For example, the product 3×50 can be represented as 3 groups of 5 tens, which is 15 tens, which is 150. This reasoning relies on the associative property of multiplication: $3 \times 50 = 3 \times (5 \times 10) = (3 \times 5) \times 10 = 15 \times 10 = 150$. It is an example of how to explain an instance of a calculation pattern for these products: calculate the product of the non-zero digits, and then shift the product one place to the left to make the result ten times as large.

[Multiply using the Grouping Strategy](#) - An online game where students make equal groups to satisfy the commands given. This game does not require an equation.

• **Grade 3 explanations for “15 tens is 150”**

- Skip-counting by 50. 5 tens is 50, 100, 150.
- Counting on by 5 tens. 5 tens is 50, 5 more tens is 100, 5 more tens is 150.
- Decomposing 15 tens. 15 tens is 10 tens and 5 tens. 10 tens is 100. 5 tens is 50. So 15 tens is 100 and 50, or 150.

- Decomposing 15.

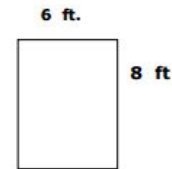
$$\begin{aligned}
 15 \times 10 &= (10 + 5) \times 10 \\
 &= (10 \times 10) + (5 \times 10) \\
 &= 100 + 50 \\
 &= 150
 \end{aligned}$$

All of these explanations are correct. However, skip-counting and counting on become more difficult to use accurately as numbers become larger, e.g., in computing 5×90 or explaining why 45 tens is 450, and needs modification for products such as 4×90 . The first does not indicate any place value understanding.

Students will apply repeated addition or multiplication strategies to find areas.

Students should solve real world and mathematical problems.
 Example: Drew wants to tile the bathroom floor using 1 foot tiles. How many square foot tiles will he need?

1 square unit

[Using Arrays](#) - Directions to a printable game where students build the array which matches the roll of the dice.